

A NEW COMPENSATION-BASED SWITCHING MODEL FOR FASTER EMT SIMULATION OF POWER ELECTRONIC NETWORKS

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OUTLINE

- 1. Brief review of emt solution method to provide a context
- 2. Popular switching models in emt simulators including RTDS
- 3. The new compensation-based switch model
- 4. Simulation results, comments, and conclusion



ABOUT NAYAK

- Specialist in power systems simulation tools and services
- Independent representatives for:
 - **RTDS**[®] real time digital simulator from RTDS Technologies
 - **PSCAD™** emt simulator from Manitoba Hydro International
 - **DSATools™** from PowerTech Labs
 - **Power Amplifiers** from Spitzenberger and Spies
- Sales, support, and training
- Study services:
 - PSCAD model development
 - Renewable energy integration studies
 - HIL testing using RTDS
 - DER model development using PSSE and TSAT







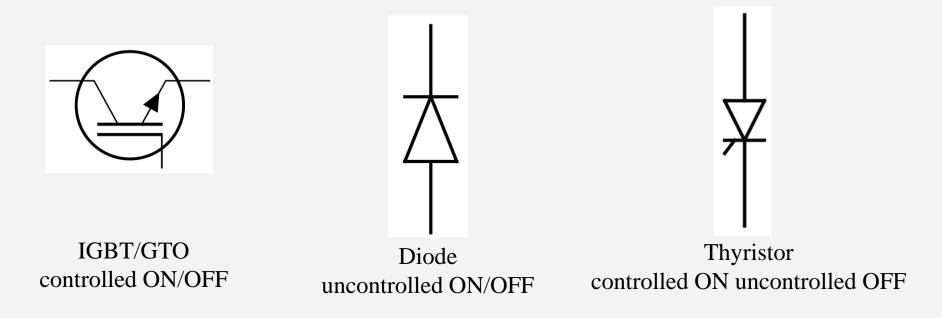






POWER ELECTRONIC SWITCH MODEL

- 1. A switch is a fundamental component of any power electronics converter circuit like a Voltage Source Converter, Line Commutated Converter, dc-dc converter, etc.
- 2. A switch can be a controlled or an uncontrolled switch, or both.





NETWORK SOLUTION IN EMT SIMULATION

EMT network solution solves

- $[V_n] = [Y_{nxn}]^{-1} \cdot [I_n]$ matrix equation every time step (Δt)
 - Y: network admittance matrix of a network of n nodes (buses)
 - V: node/bus voltage vector at time t,
 - I: current injections at time t and t- Δt
 - Δt : simulation timestep.
- The switch is represented as a controllable 2-state resistance in the admittance matrix Y.
- There are two popular approaches for modelling power electronic switch in EMT.
 - RSM: Resistive Switch Model
 - LCSM: LC Switch Model



RESISTIVE SWITCH MODEL

Two levels

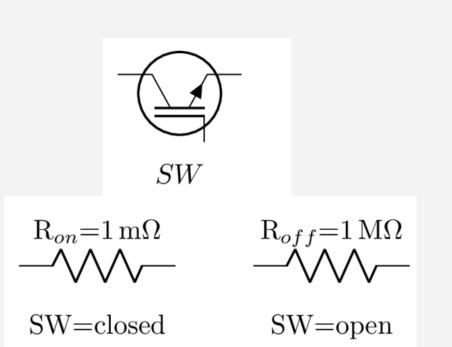
- Closed (On) switch => very low resistance branch (approx. short circuit)
- Open (Off) switch => very high resistance branch (approx. open circuit)

Advantages:

- Although approximate, it is the most accurate model
- Does not suffer from convergence problems

Disadvantages:

- Matrix inversion is computationally intensive
- Accomplishing in real-time is even more challenging
- Need to account for the worst-case scenario in real-time simulation leads to inefficient use of resources





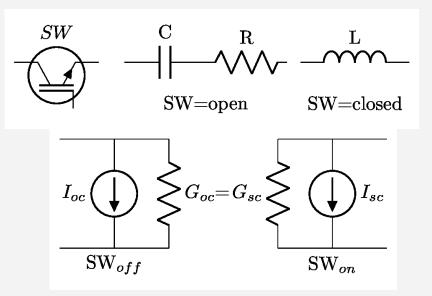
LC-SWITCH MODEL

Principle:

- The LC-switch model represents a switch as a discrete time admittance in parallel with a current source by associating the on-state of the switch to an inductor branch and off-state to a resistor-capacitor branch.
- The value of R, L, and C are selected and tuned such that the on-state admittance Gsc and off-state admittance Goc of the switch are equal
- State change is accomplished by toggling the branch association. The admittance matrix Y remains unchanged.

Advantages:

- The system admittance matrix Y is time-invariant and can be set before start of the simulation
- No matrix inversion during switching event is involved
- Predictable network solution time and large computational savings





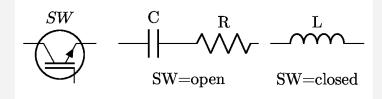
LC-SWITCH MODEL

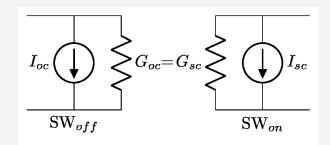
Advantages:

- The system admittance matrix Y is time-invariant and can be set before start of the simulation
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- Predictable network solution time and large computational savings

Disadvantages:

- LCSM is still an approximation of the open and closed states of a switch
- Necessitates using small timestep of the order of a few micro-seconds.
- Generates artificial storage and loss of energy between the inductor and the capacitor.
- Energy exchange is spurious and can result in inaccurate simulation, if not handled carefully.
- Extra computational burden at lower timesteps. Plotted waveforms unnecessarily appear distorted and spiky.

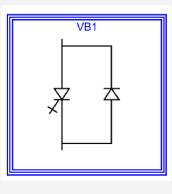






RTDS SWITCH MODELS

- RTDS simulator has both RSM and LCSM switches
- LCSM is used in Small-dt simulation environment
- RSM is used in Sub-step simulation environment







WOULDN'T IT BE NICE IF WE CAN HAVE ...

A switch that combines the advantages of both RSM and LCSM



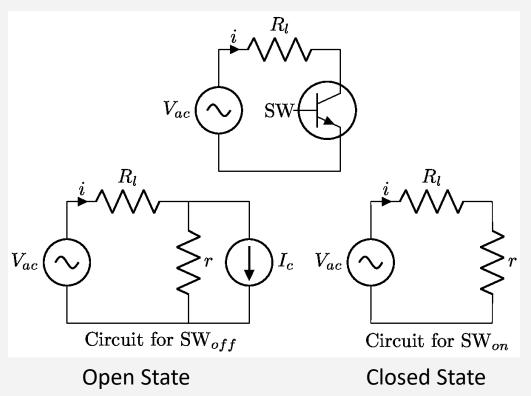
- The proposed switch combines the benefits of both RSM and LCSM, which implies it also eliminates the disadvantages of both
- Constant network admittance matrix like LCSM,
 - i.e., no time-step dependency
- Robust and accurate over a very wide frequency range like RSM,
 - i.e., no spurious pulses, oscillations, and fictitious loss issues like LCSM
 - does not require parameter tuning
- Simple to implement like RSM and easy to program in the existing EMT formulation.

Compensation-based switching model has it all



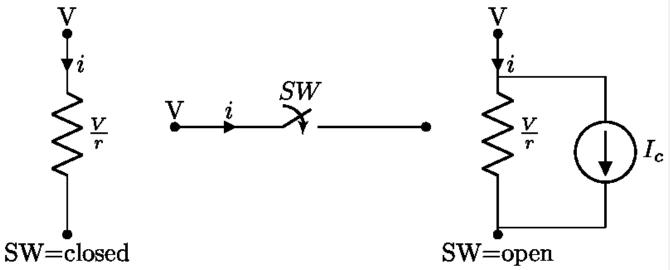


How does the compensation-based model work?





- Turned-on (Closed) state = small resistance, say r.
- Turned-off (Open) state = same r, as in the turn-on state, but with a parallel current injection source to represent turn-off state



This keeps the admittance matrix Y constant.



If the network solution equation at time t=0 is $Y \cdot \hat{V} = I$

- A solution structure after a switching event can be represented as $(Y + \Delta Y) \cdot \hat{V} = I$
 - where ΔY is the change in admittance due to switching
- It can be re-arranged as

 $\begin{aligned} (Y + \Delta Y) \cdot \hat{V} &= I \\ Y \cdot \hat{V} &= I + \Delta \hat{I}_{pre} \\ \text{and, } \Delta \hat{I}_{pre} &= -(M \cdot c \cdot M^t \cdot Y^{-1}) \cdot I \end{aligned}$

where, M and c are auxiliary matrices generated or used during the mathematical manipulation.

This method is popularly known as "inverse matrix modification lemma".

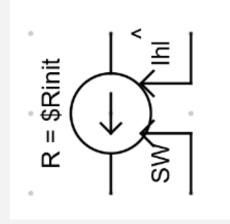


- It should be noted that equation $Y \cdot \hat{V} = I + \Delta \hat{I}_{pre}$ means we are using only a single matrix Y throughout simulation and that $\Delta \hat{I}_{pre}$ is the current injection computed post switching and pre (before) network solution.
- This methods of adding a suitable switching-based current injection to the original current injection is known as pre-compensation.
- Post compensation is also possible, where the equation gets slightly modified to $\hat{V} = V + \Delta \hat{V}_{post}$, that is adding suitable switching-based voltage vector to the solution obtained from network solution.
- Pre-compensation is suitable for controlled devices like IGBTs or GTO or Thyristors.
- Post-compensation is suitable for uncontrolled devices like diodes.



COMPENSATION-BASED SWITCH MODEL FOR RTDS SIMULATOR

- CBuilder in RSCAD gives users a convenient facility to design custom components
- CBuilder script allows adding current injections before the network solution
- Hence, it is easy to create a *pre-compensation switch* as a custom component
- The component shown was written using CBuilder
 - SW is the firing pulse input
 - Ihl is the history current injection
 - current injection is calculated as in the component script
 - SW is the firing pulse input
 - Ihl is the history current injection

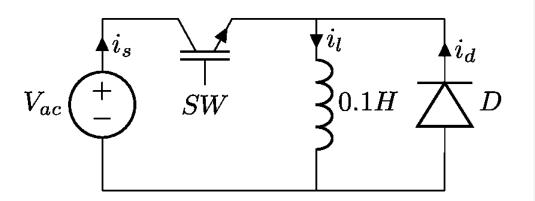




COMPENSATION MODEL IN A SIMPLE CIRCUIT

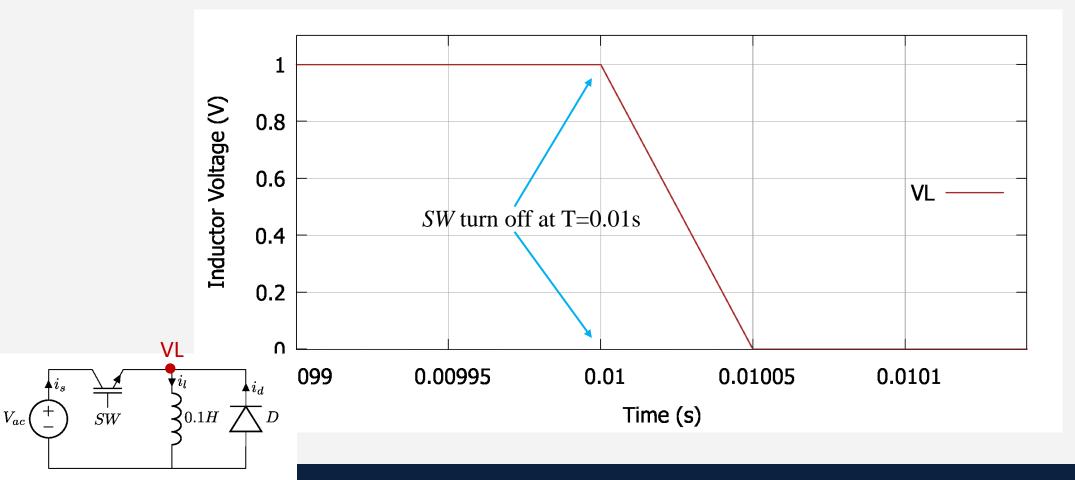
- The circuit shown below explains the pre and post compensation models
- The (controlled) switch (SW) uses pre-compensation to inject the compensated currents before network solution The equation to be solved is then $Y \cdot \hat{V} = I + \Delta \hat{I}_{pre}$.
- The Diode (uncontrolled) switch state is determined post network solution and modified solution vector \hat{V} is calculated using $\hat{V} = V + \Delta \hat{V}_{post}$
- $\Delta \hat{I}_{pre}$ and $\Delta \hat{V}_{post}$ are pre & post compensation vectors

ONLY PRE-COMPENSATION was possible as a custom component



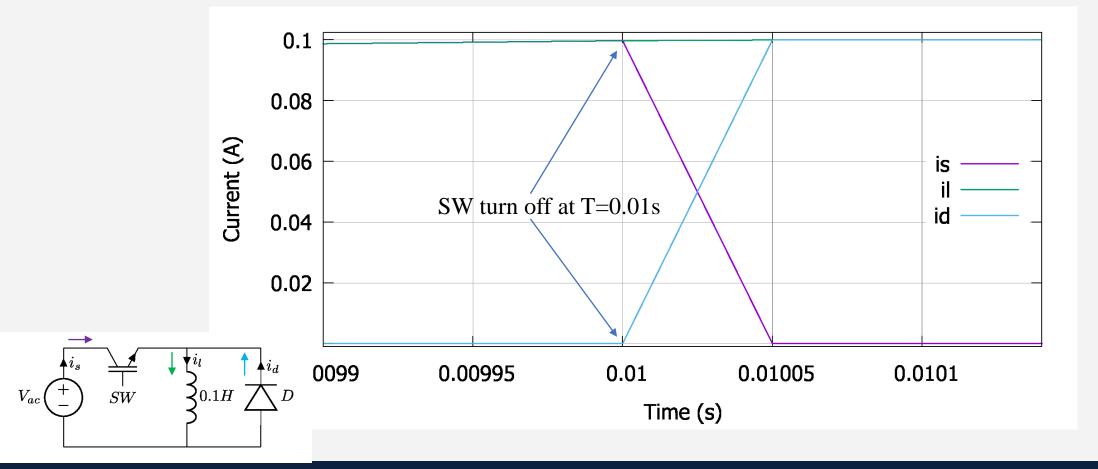


COMPENSATION MODEL IN A SIMPLE CIRCUIT





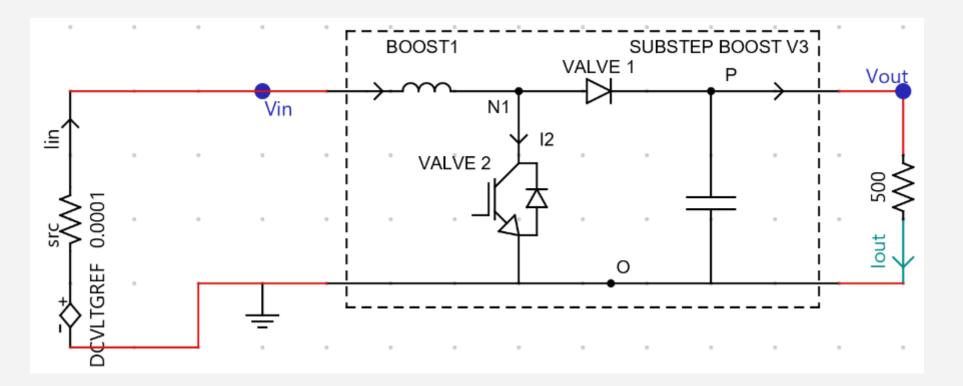
COMPENSATION MODEL IN A SIMPLE CIRCUIT





SUBSTEP BOOST CONVERTER MODEL IN RSCAD

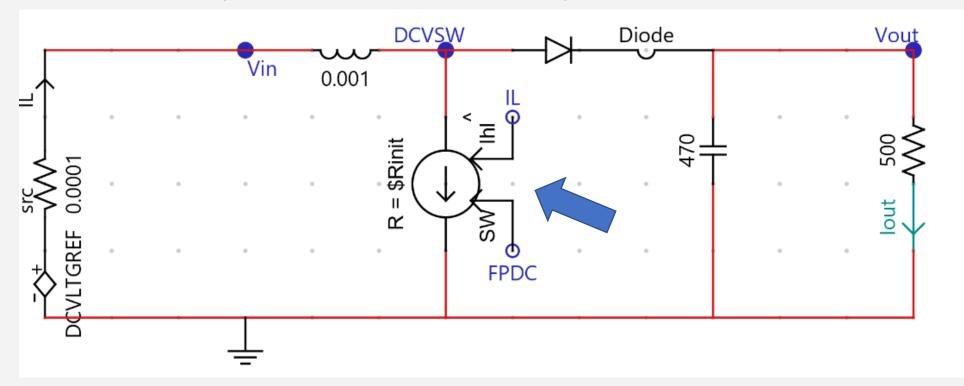
• Boost converter case from RSCAD examples directory





COMPENSATION-BASED BOOST CONVERTER MODEL IN RSCAD

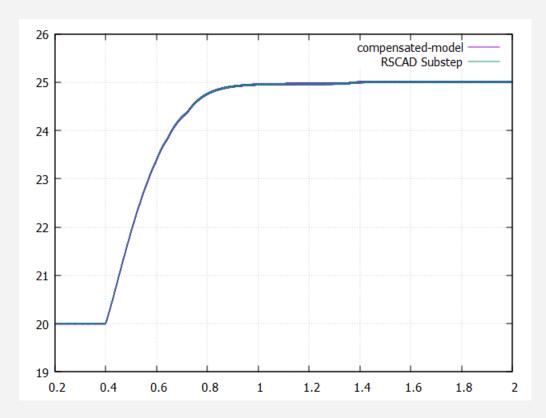
• Boost converter example from RSCAD that uses compensation based switch model





RESULTS

- The figure shows comparison of output voltage of the boost converter using Substep model and the precompensated model of a switch
- Timestep used is 2us
- Both waveforms overlap





SOME COMMENTS

- If $Y \cdot V = I$ is the original solution, then
 - Y⁻¹ before switching must be known Y⁻¹ is needed to compute the auxiliary matrices required by the matrix inversion lemma.
 - The current injection vector I must be known and accessible
 - The auxiliary matrices all are pre-computed and add 4n-1 flops extra for each switching component where *n* is the order of matrix Y. The number of extra flops is far less than refactorization or new decomposition after switching
- This is a very early stage of experimenting with this method
- There are many aspects of practical use of this technique which are yet to be explored
- In other-words, don't ask tough questions 🙂





CONCLUSIONS

- The compensation model of a switch:
- 1. Generates a constant system admittance matrix irrespective of switching, thus avoid refactorization or decomposition of the system matrix.
- 2. Gives an accurate solution with no cumulative errors, without any approximation in the math.
- 3. Does not generate any spurious oscillations, pules, or artificial losses.
- 4. Does not put limitations on the switching frequency for accurate of solution.
- 5. Adds a small overhead to the network solution process.
- 6. Can be easily adapted in the existing EMT structure of RSCAD or PSCAD.



ACKNOWLEDGEMENT

- We would like to acknowledge the help extended by RTDS Technologies to answer queries related to network solution and boost converter simulation.
- Special thanks to Heather Meiklejohn and Udeesha Samarasekera for their help while implementing the custom component in RTDS

